# Quantifying radiative perturbations from observations

and application to the short-term water vapor feedback

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  - Partial radiative perturbation (PRP) calculations: calculations that substitutes one-at-a-time a variable from the perturb climate into the control climate. (Wetherald and Manabe 1988)
  - Radiative kernels: separates the radiative response and the perturbations (Held and Soden 2000; Soden and Held 2006; Soden et al. 2008)
    - Fewer computations: a single radiative calculation can be consistently applied across different climate models.
    - Radiative kernel have become an indispensable tool for GCM feedback studies

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  constrain climate feedbacks (Dessler 2008, 2010, 2013; Dessler and Wong 2009; Masters 2012; Dessler and Loeb 2013;
  Gordon et al. 2013, Zhou et al. 2013, 2014; Ceppi 2016)
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- Limited comparisons of GCM vs. observational-based kernels (different GCM kernels show relatively small differences)
- Would be attractive to perform calculations based purely on observations

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- Examine feedbacks in the observational record within a consistent framework and construct observationally-based radiative kernels
- Provide general insight into the variability of the radiation budget
  - Useful where radiative effects are correlated among parameters.
    - E.g. clouds: compliment to the cloud radiative effect (CRE, total clear-sky fluxes)

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- Easy to incorporate multiple datasets for each input

# PRP calculations

$$\partial F_{\Delta x}^f = F(x, y_1, ..., y_N) - F(\overline{x}, y_1, ..., y_N)$$
 (1)

• Flux (F) difference of monthly means (x,y) and climatological monthly means  $(\overline{x},\overline{y})$ 

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Can also compute the same thing relative to a different base state:

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$$\partial F_{\Delta x}^{f} = F(x, y_1, ..., y_N) - F(\overline{x}, y_1, ..., y_N) + O^{f}(\Delta x)$$
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 From monthly-mean inputs, climatologies are constructed and the variables combined to make the 4 sets of inputs → Fu-Liou radiative model

# Inputs (mostly) from CERES datasets

- Clear-sky: GEOS | AIRS (AIRX3STM)
   temperature, water vapor, ozone, skin temperature
- Clouds: SYN | C3M fraction, base, top, phase, optical depth, size
- Aerosol: MATCH optical depth, vertical distribution, type
- Gases: AIRS (AIRS3C2M/AIRX3STM)
   carbon dioxide, methane
- Gases: NOAA ESRL (global means) nitrous oxide, CFC-11, CFC-12, HCFC-22
- Surface albedo: SAH
   parameterization spectral dependence
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Focus here on 13 years of SYN + GEOS/AIRS (Sept. 2002 – Aug. 2015)

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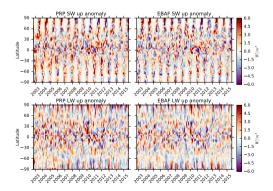
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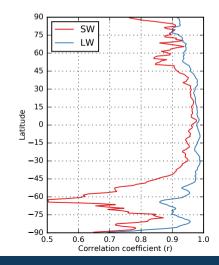
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- Reproduce the variability as observed by CERES
  - Time series well correlated over much of the globe (expect  $\sim 60^{\circ}\text{S}$ )





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Forster and Collins (2004)	1.6	0.9-2.5	NVAP, MLS
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Dessler (2013)	1.35	$\pm 0.35$	ERA-Interim
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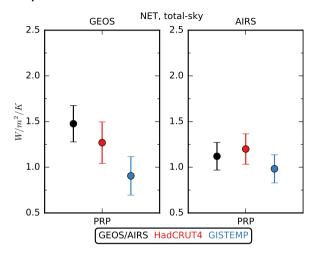
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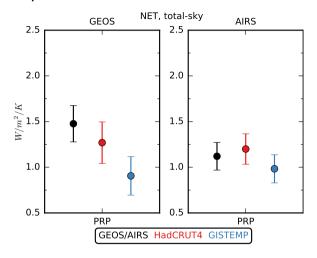
# Revisit this estimate with our PRP calculations, longer datasets (13 yrs), and more surface temperature datasets

- ullet Compute monthly perturbation to TOA flux caused by tropospheric water vapor:  $\Delta F$
- ullet Feedback = slope of least-squares fit of  $\Delta F$  and surface temperature anomaly

## Observed water vapor feedback

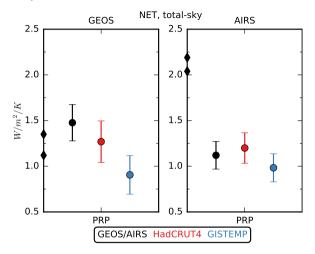


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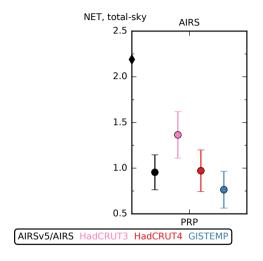


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- $\bullet$  AIRS is "tighter": less sensitivity to  $\textit{T}_{\textit{sfc}}$  dataset and better fits

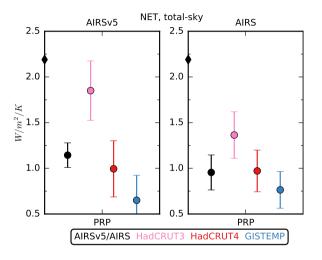
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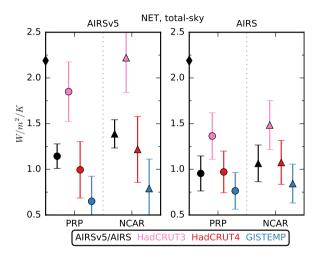
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- GEOS in agreement with previous reanalysis estimates
- AIRS feedback nearly half that of previous estimates
  - $\bullet$  D08/G13: different period of data, older versions of datasets, kernels for getting  $\Delta F$



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- HadCRUT3 give largest feedback
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- AIRSv5 + HadCRUT3 = largest feedback
- $\bullet~$  AIRSv5 +~ HadCRUT3 +~ NCAR kernel  $_{\text{(Shell et al. 2008)}} \approx G13$ 
  - AIRSv6/HadCRUT4 increase yield/coverage

## Summary

• Development of dataset that allows for flexible PRP calculations to isolate the contributions to radiative flux variability using observational datasets

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- ullet Older water vapor feedback estimates using AIRSv5 + HadCRUT3 nearly 2x larger: mostly due to dataset updates (also differences from kernel, length of data)

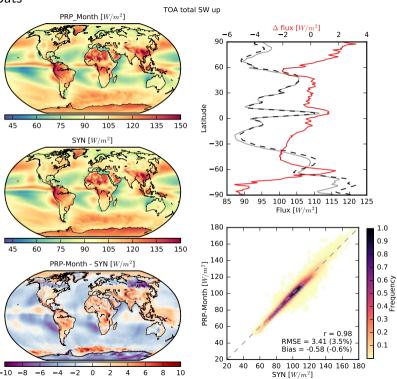
#### Looking forward:

- AIRS v6.1: overhaul of water vapor retrievals
- Interesting to perform calculations with active sensor clouds (C3M) (likely to decrease water vapor feedback a bit)
- CERES-optimized radiative kernels: "two-pass" calculation to require that the sum of individual flux anomalies match CERES (similar to Sanderson and Shell 2012)

### Use of monthly mean inputs

Fluxes from monthly-mean inputs (PRP\_Month) vs. average fluxes computed in SYN

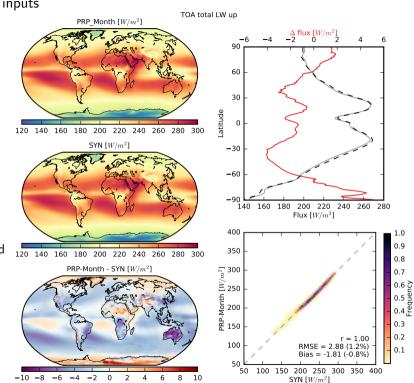
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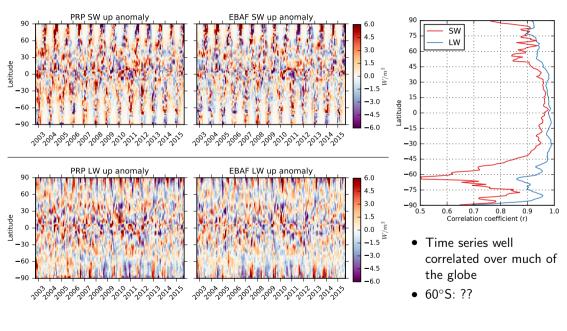
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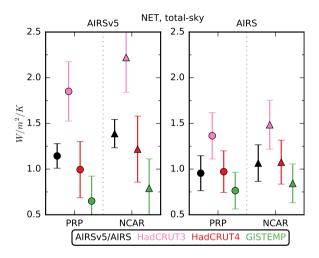
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# Comparison to CERES (EBAF)



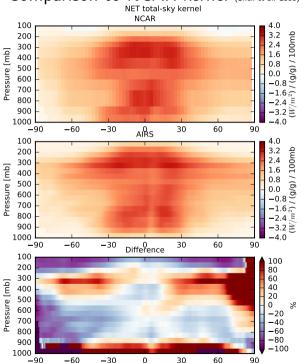
## Comparison to NCAR kernel

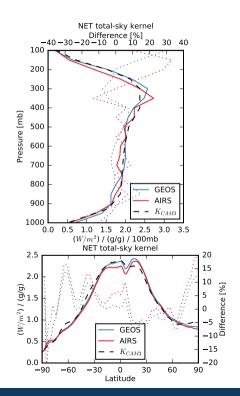


- Using NCAR kernel give a (slightly) larger feedback
- Kernel differences: (not shown)

  - Local differences:  $\sim$  20–40% (larger than among different GCMs (Soden et al. 2008))

### Comparison to NCAR kernel (Shell et al. 2008)





## Short vs. Long-term water vapor feedback

• Gordon et al. (2013): short-term feedbacks in CMIP3 models converge to 15% of their long-term value after 25 years